

Mr. Northcutt's Math Classes Class Presentation

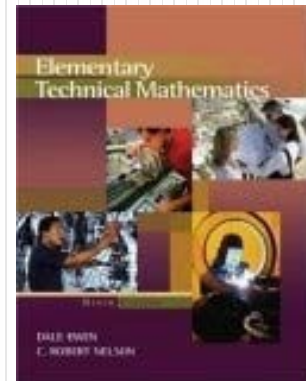
January 13, 2009 (81)



Math 1



Math 2



Applied Math



Math 1 – Daily Summary

- **Announcements**
 - Chapter 9 Test on Friday
 - Semester #1 Final and Proficiency Test Next Week
- **Class Objectives – *What you should learn today!***
 - Factor trinomials with “1” as coefficient of x^2
- **Assignment**
 - Section 9-5: 1-16



Factoring Trinomials

- “Factoring” is like undoing multiplication.

$$15 = 3 \cdot 5$$

“15 is factored into 3 and 5.”

- Is it possible to do something similar with Polynomials?

$$\begin{aligned}(x + 3)(x + 5) &= x^2 + 3x + 5x + (3 \cdot 5) \\ &= x^2 + (3 + 5)x + 15 \\ &= x^2 + 8x + 15\end{aligned}$$

The diagram illustrates the expansion of the product of two binomials. It shows three lines of algebraic work. The first line is $(x + 3)(x + 5) = x^2 + 3x + 5x + (3 \cdot 5)$. The second line is $= x^2 + (3 + 5)x + 15$. The third line is $= x^2 + 8x + 15$. Orange arrows connect the 3 in the first binomial to the $3x$ term in the second line, and the 5 in the first binomial to the $5x$ term in the second line. Blue arrows connect the 3 in the first binomial to the 15 in the third line, and the 5 in the first binomial to the 15 in the third line. Another blue arrow connects the $(3 + 5)$ in the second line to the 8 in the third line.



Factoring Trinomials

- Consider the following trinomial...what might its factors look like?

$$x^2 + 7x + 12$$

$$(\quad) \cdot (\quad)$$

How do you
check it?



Factoring Trinomials

- What is different in these examples? How might we handle it?

$$x^2 - 17x + 42$$

$$k^2 - 10k + 25$$

$$(\quad) \cdot (\quad)$$

$$(\quad) \cdot (\quad)$$



One Last Challenge

- Think about this one...how could you handle it?

$$x^2 - 3x - 18$$

$$(\quad) \cdot (\quad)$$



Math 2 – Daily Summary

- **Announcements**

- Chapter 7 Test on **Friday!**
- Semester #1 Final and Proficiency Test Next Week.

- **Class Objectives – *What you should learn today!***

- Proficiency Review
 - Order of Operations
 - Solving Equations & Inequalities
 - Linear Equations (Rate of Change, Slope-Intercept)
 - Exponents & Polynomials
 - Geometry
- Practice with applications of Circle Conjectures

- **Assignment**

- **Lesson 7.6: 1-3, 5-10**



Proficiency Sample Problems

- **Order of Operations**

$$2 + 3 \cdot 5 - 4$$

$$(3^2 - 6) + (7 - 4^2)$$

- **Solving Equations & Inequalities**

$$\frac{1}{4}x + \frac{3}{4} = \frac{1}{3}x - \frac{5}{6}$$

$$5 - 3x < 14$$



Proficiency Sample Problems

- **Exponents & Polynomials**

$$(6b - 4x) + (-4b - 2x)$$

$$(2x - 3)^2$$

$$\frac{a^3b^4}{ab^6}$$

$$(2x^3y^2)(3xy^3)$$



Applied Math – Daily Summary

- **Announcements**

- **Chapter 12 Test Early Next Week (date TBD)**

- **Class Objectives – *What you should learn today!***

- Definition of Radian Angle Measure (Metric)
 - Conversion from Radians to Degrees
 - Calculation of length of an Arc
- Definition of the Sector of a Circle
 - Calculation of the area of a sector

- **Assignment**

- **Section 12.6: 3-24 ODD, 25-29, 32**



Radian Measure (Metric Angle)

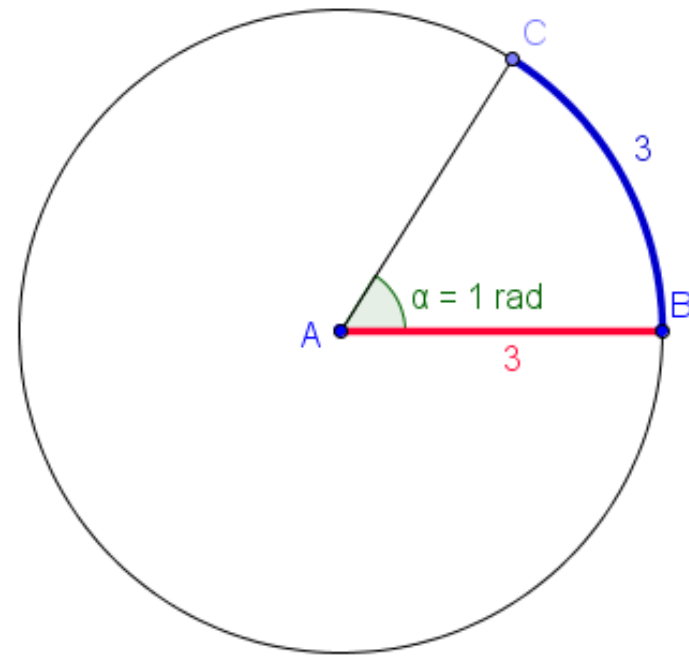
- **1 Radian (Angle Measure in Metric)**

- The measure of an angle with its vertex at the center of a circle and with an intercepted arc on the circle equal in length to the radius.

$$\alpha = \frac{s}{r} \quad \text{or} \quad s = \alpha r \quad \mathbf{s = \text{Arc Length}}$$

- **How many Radians in a Circle?**

$$C = 2\pi r$$





Radian-Degree Conversion

- **Conversion Factors**

$$\frac{180^\circ}{\pi \text{ rad}}$$

Radian to Degrees

$$\frac{\pi \text{ rad}}{180^\circ}$$

Degrees to Radians

- **Example:**

- How many radian are in an angle with measure 30° ?

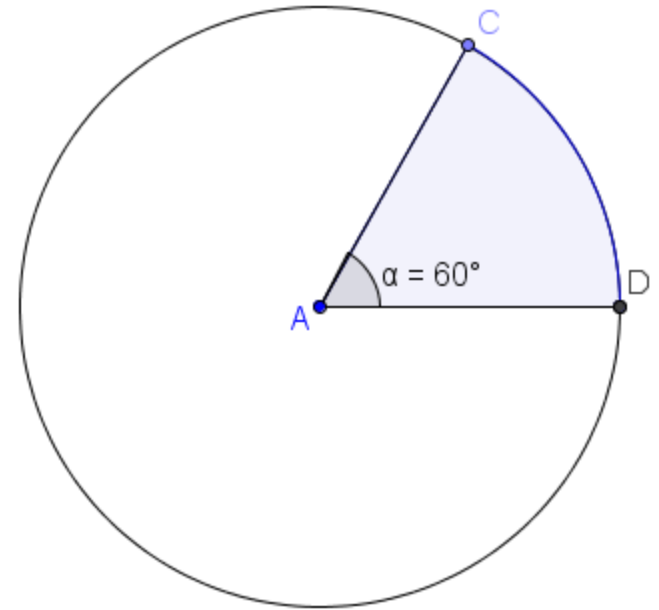
$$\frac{30^\circ}{1} \cdot \frac{\pi \text{ rad}}{180^\circ} = \frac{\pi}{6} \text{ rad}$$



Sector of a Circle

- **Sector**

- The region bounded by two radii of a circle and the arc intercepted by them.



- **Area of a Sector (Degrees/Radians)**

- “Fraction” of the area of the circle.

$$A_{circle} = \pi r^2 \begin{cases} \rightarrow A_{sector} = \left(\frac{\alpha}{360^\circ} \right) \cdot \pi r^2 \\ \rightarrow A_{sector} = \left(\frac{\alpha}{2\pi} \right) \cdot \pi r^2 = \frac{1}{2} \alpha r^2 \end{cases}$$